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Central exclusive production of mesons in proton-proton collisions

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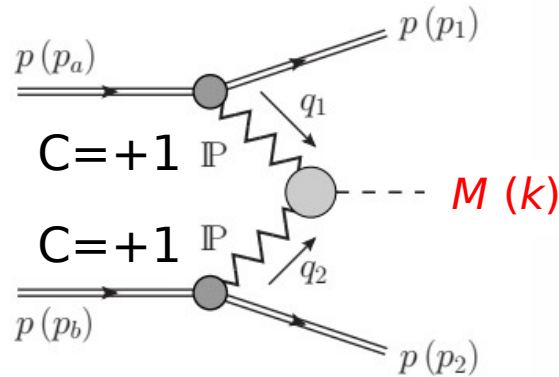
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Central Exclusive Production (CEP) of single mesons M

$$p(p_a) + p(p_b) \rightarrow p(p_1) + M(k) + p(p_2)$$



$$q_1 = p_a - p_1, \quad q_2 = p_b - p_2, \quad k = q_1 + q_2$$

$$t_1 = q_1^2, \quad t_2 = q_2^2, \quad m_M^2 = k^2$$

$$s = (p_a + p_b)^2 = (p_1 + p_2 + k)^2, \quad \text{c.m. energy squared}$$

$$\sqrt{s} \rightarrow \infty, \quad \sqrt{|t|} \lesssim 1 \text{ GeV}$$

In QCD: neither pure short nor pure long distance regime, difficult to treat.

The physics of exchanges, regge regime: pomeron (IP), reggeons, odderon (?)

At high energies (RHIC, LHC) double pomeron exchange (DPE) is dominant production mechanism. For IP IP fusion giving M the meson must have $I^G = 0^+$. But various spin-parity values are possible, e.g. $J^{PC} = 0^+, 0^{++}, 1^{++}, 2^{++}, \dots$

We treat our CEP reactions in the [tensor-pomeron approach](#)

[Ewerz, Maniatis, Nachtmann, *Ann. Phys.* 342 (2014) 31]

The pomeron and the charge conjugation $C=+1$ reggeons are described as effective rank 2 symmetric tensor exchanges.

We know, from the many reactions which we have studied (Lebiedowicz, Nachtmann, Szczurek), the coupling of pomeron to the protons and the IP IP M couplings.



I shall only present you some results for single axial-vector ($J^{PC} = 1^{++}$) meson $f_1(1285)$ production.

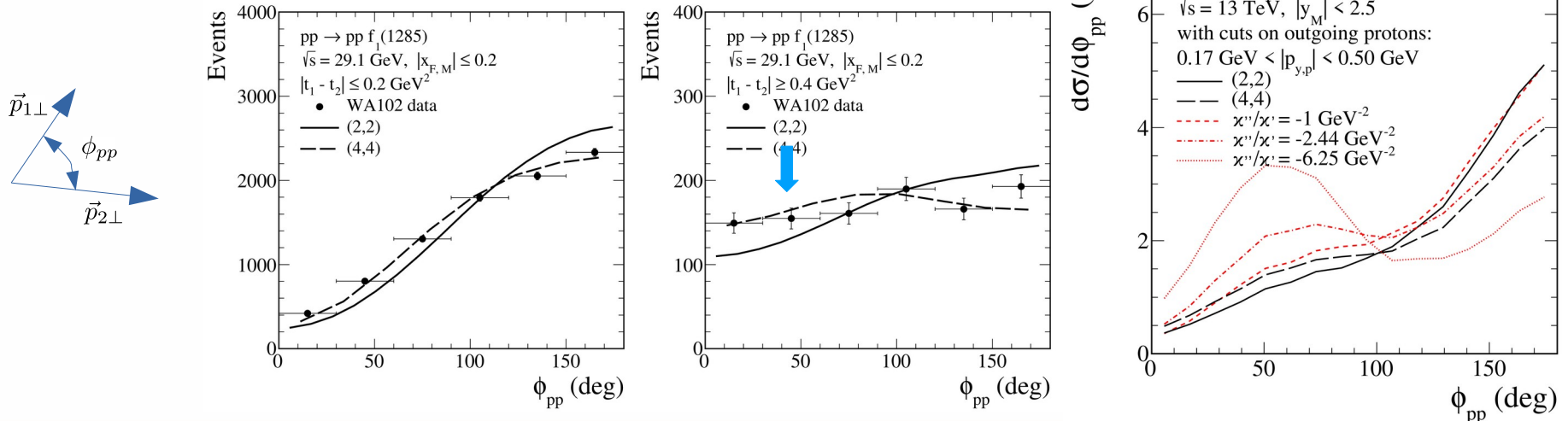
The Born-level amplitude for the $pp \rightarrow pp f_1$ reaction within the tensor-pomeron approach (via IP IP fusion) can be written as

$$\begin{aligned} \mathcal{M}_{\lambda_a \lambda_b \rightarrow \lambda_1 \lambda_2 \lambda_{f_1}}^{\text{Born}} &= (-i) (\epsilon^\mu(\lambda_{f_1}))^* \bar{u}(p_1, \lambda_1) i\Gamma_{\mu_1 \nu_1}^{(IPpp)}(p_1, p_a) u(p_a, \lambda_a) \\ &\quad \times i\Delta^{(IP)}_{\mu_1 \nu_1, \alpha_1 \beta_1}(s_1, t_1) i\Gamma_{\alpha_1 \beta_1, \alpha_2 \beta_2, \mu}^{(IP f_1)}(q_1, q_2) i\Delta^{(IP)}_{\alpha_2 \beta_2, \mu_2 \nu_2}(s_2, t_2) \\ &\quad \times \bar{u}(p_2, \lambda_2) i\Gamma_{\mu_2 \nu_2}^{(IPpp)}(p_2, p_b) u(p_b, \lambda_b) \end{aligned}$$

To give the full physical amplitude we should include absorptive corrections (pp-rescattering corr.)

Comparison with data from A. Kirk (WA102 Collaboration),
Nucl. Phys. A 663 (2000) 608

Our predictions for LHC,
PRD102 (2020) 114003



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← ATLAS preliminary results
R.Sikora, CERN-THESIS-2020-235

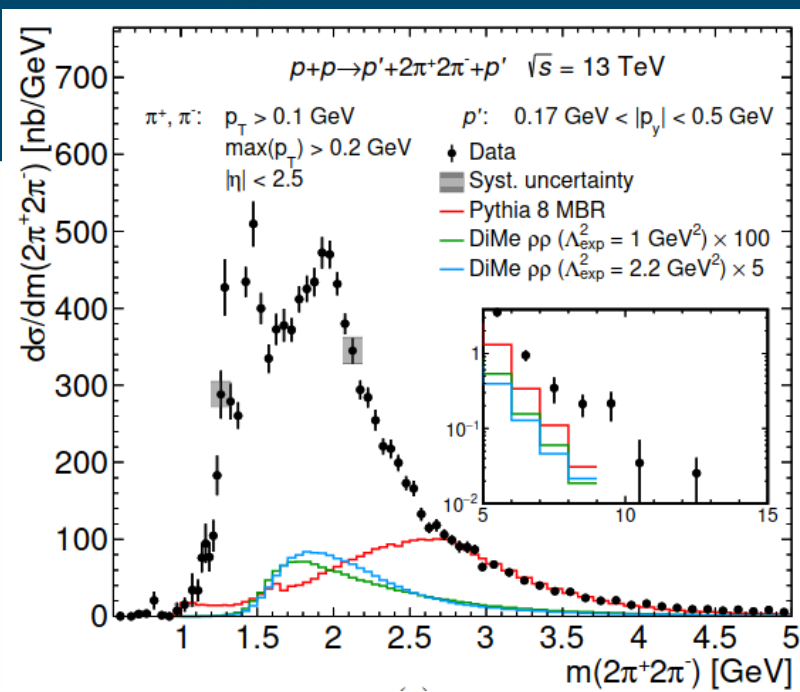
Differential cross section for CEP of $2\pi^+2\pi^-$ state as a function of the invariant mass measured at ATLAS. Predictions from two MC models, MBR and DiMe, are shown → not reproduces low-mass data

Above 1 GeV the cross section rises rapidly, and a narrow peak is visible around 1.25 - 1.3 GeV. Small width of the peak suggests, that narrow **f1(1285)** resonance is responsible for this structure.

Between 1.3 - 1.6 GeV another structure is visible: a peak with maximum around 1.45 GeV, followed by a dip around 1.55 GeV. These structures can possibly be attributed to the production of the **f0(1500)** resonance. The enhancement and suppression of the cross section, below and above the resonance mass, might result from **interference terms**.

Around $M \sim 1.95$ GeV another peak is visible, whose nature is not obvious. Potential resonance which could be produced in DPE is **f2(1950)**. However, it is also possible that lower mass resonances interfere with **four-pion continuum** leading to the observed structure.

The **f0(1500)** and **f2(1950)** states are candidates to be **scalar and tensor glueball**, respectively. However, identification of possible glueball-like states in this channel requires calculation/estimation both of resonant and continuum processes.

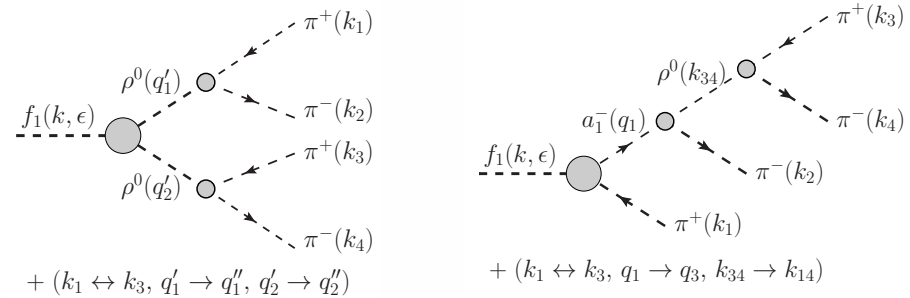




CEP of $2\pi^+2\pi^-$ can proceed in several ways:

- continuum (triple Pomeron exchange)
Kycia, Lebiedowicz, Szczurek, Turnau, PRD 95 (2017) 094020
- production of two resonances (via the intermediate $\sigma\sigma$ and $\rho\rho$ state), each decaying to $\pi^+\pi^-$
Lebiedowicz, Nachtmann, Szczurek, PRD 94 (2016) 034017
- production of a single resonance (e.g. $f_1(1285)$) that decays to $\pi^+\pi^-\pi^+\pi^-$

Theoretical/phenomenological studies of the $2 \rightarrow 6$ reaction ($pp \rightarrow pp \pi^+\pi^-\pi^+\pi^-$) including both the resonances and continuum contributions in consistent model are challenging task. This requires, for example, an analysis of decay processes ($1 \rightarrow 4$):



Possible to do using **GenEx MC generator** for exclusive reactions:

Kycia, Chwastowski, Staszewski, Turnau, Commun. Comput. Phys. 24 (2018) 860;

the adaptive Monte Carlo toolbox for phase space integration and generation:

Kycia, Turnau, Chwastowski, Staszewski, Trzebiński, Commun. Comput. Phys. 25 (2019) 5;

and **DECAY MC library** for the decay of a particle with ROOT compatibility:

Kycia, Lebiedowicz, Szczurek, arXiv: 2011.14750 [hep-ph], in print Commun. Comput. Phys.